

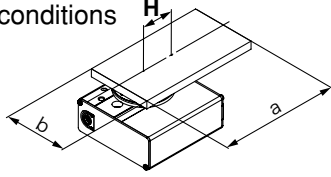
Rotary type  
**RF** type

# Selecting a model



## Selecting a model

Operating conditions



Rotary type: RF03  
Installation posture: Horizontal  
Kind of load: Inertial load  $T_a$   
Shape of load: 150mm × 80mm  
(rectangular plate)  
Oscillating angle  $\theta$ : 180°

Acceleration/deceleration  $\dot{\omega}$ : 1,000°/sec<sup>2</sup>  
Speed  $\omega$ : 420°/sec  
Load mass  $m$ : 2.0kg  
Distance between shaft and center of gravity  $H$ : 40mm

### Step1 Moment of inertia Acceleration/deceleration

#### 1 Calculating the moment of inertia.

#### Calculation formula

$$I = m \times (a^2 + b^2) / 12 + m \times H^2$$

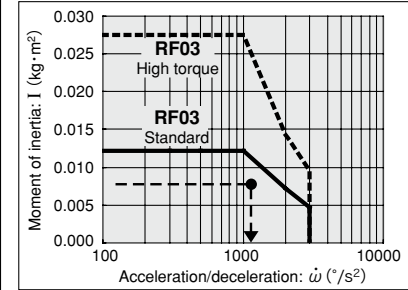
#### 2 Checking the moment of inertia vs. acceleration/deceleration.

Select an appropriate model from the moment of inertia vs. acceleration/deceleration while referring to the moment of inertia acceleration/deceleration graph.

#### Selection example

$$I = 2.0 \times (0.15^2 + 0.08^2) / 12 + 2.0 \times 0.04^2 = 0.00802 \text{ kg} \cdot \text{m}^2$$

RF03



### Step2 Selecting a torque

#### 1 Kinds of loads

- Static load:  $T_s$
- Resistance load:  $T_f$
- Inertial load:  $T_a$

#### Calculation formula

Effective torque  $\geq T_s$   
Effective torque  $\geq T_f \times 1.5$   
Effective torque  $\geq T_a \times 1.5$

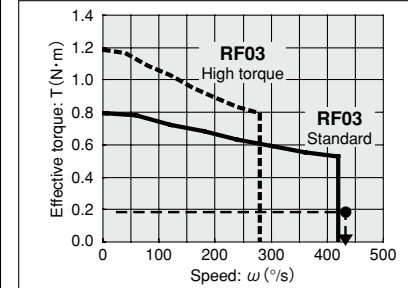
#### 2 Checking the effective torque

Check that the speed can be controlled by the effective torque by the speed while referring to the effective torque speed graph.

#### Selection example

$$\begin{aligned} \text{Inertial load: } T_a \\ T_a \times 1.5 &= I \times \dot{\omega} \times 2\pi / 360 \times 1.5 \\ &= 0.00802 \times 1,000 \times 0.0175 \times 1.5 \\ &= 0.21 \text{ N} \cdot \text{m} \end{aligned}$$

RF03



### Step3 Allowable load

#### 1 Checking the allowable load

- Radial load
- Thrust load
- Moment

#### Calculation formula

Allowable thrust load  $\geq m \times 9.8$   
Allowable moment  $\geq m \times 9.8 \times H$

#### Selection example

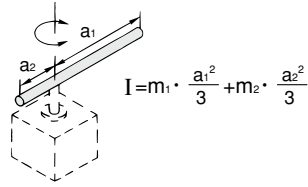
- Thrust load  
 $2.0 \times 9.8 = 19.6 \text{ N} < \text{Allowable load OK}$
- Allowable moment  
 $2.0 \times 9.8 \times 0.04 = 0.784 \text{ N} \cdot \text{m} < \text{Allowable moment OK}$

# List of moment of inertia calculation formulas (Calculation of moment of inertia I)

I: Moment of inertia kg·m<sup>2</sup> m: Load mass kg

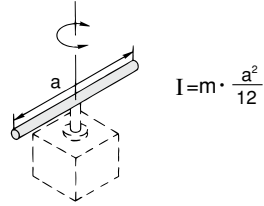
## 1 Thin rod

Position of rotation axis:  
Passes through one end perpendicularly to the rod.



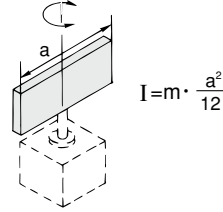
## 2 Thin rod

Position of rotation axis:  
Passes through the center of gravity of the rod.



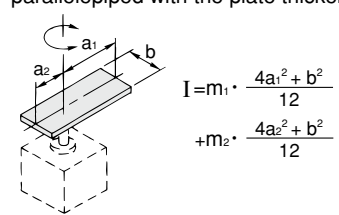
## 3 Thin rectangular plate (rectangular parallelepiped)

Position of rotation axis:  
Passes through the center of gravity of the plate.



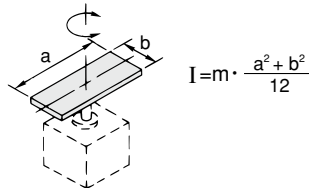
## 4 Thin rectangular plate (rectangular parallelepiped)

Position of rotation axis:  
Passes through one end perpendicularly to the plate.  
(Same position for the rectangular parallelepiped with the plate thickened.)



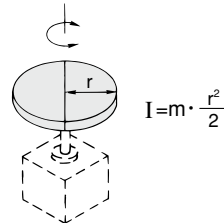
## 5 Thin rectangular plate (rectangular parallelepiped)

Position of rotation axis:  
Passes through one end perpendicularly to the plate.  
(Same position for the rectangular parallelepiped with the plate thickened.)



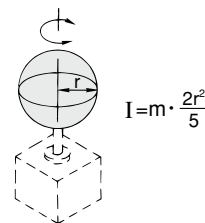
## 6 Cylinder (including thin disc)

Position of rotation axis:  
Central axis



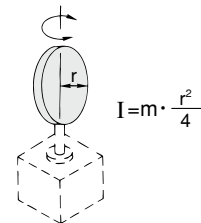
## 7 Solid ball

Position of rotation axis:  
Diameter

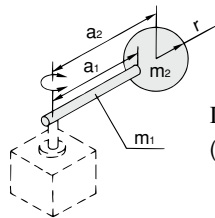


## 8 Thin disc

Position of rotation axis:  
Diameter



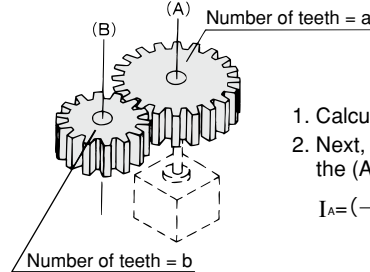
## 9 Load at lever tip



$$I = m_1 \cdot \frac{a_1^2}{3} + m_2 \cdot a_2^2 + K$$

(Example)  
When the shape of  $m_2$  is a ball, refer to [7] to obtain the following.  
 $K = m_2 \cdot \frac{2r^2}{5}$

## 10 Gear transmission



1. Calculate the moment of inertia  $I_B$  around the (B) axis.
2. Next, substitute  $I_B$  for the moment of inertia around the (A) axis to calculate  $I_A$  as follows.

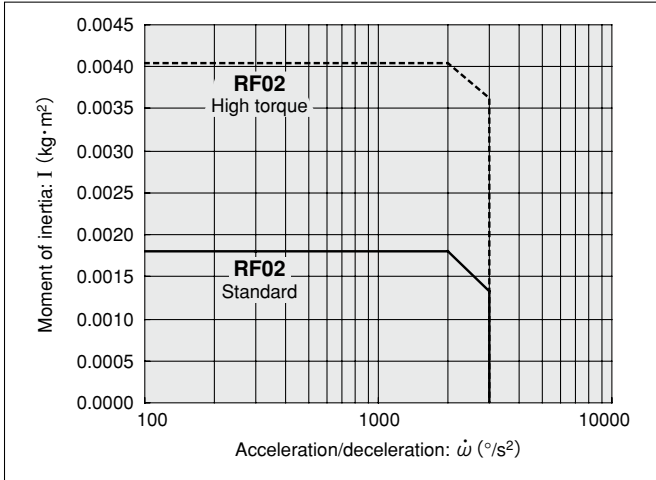
$$I_A = \left(\frac{a}{b}\right)^2 \cdot I_B$$

## Selecting a model

Kinds of loads		
Static load: Ts	Resistance load: Tf	Inertial load: Ta
Only push force is needed (clamp, etc.).	Gravity or friction force applies in the rotation direction.	Load with inertia needs to be rotated.
	<div style="display: flex; justify-content: space-around;"> <div style="text-align: center;"> <p>&lt;Gravity applies.&gt;</p> </div> <div style="text-align: center;"> <p>&lt;Friction force applies.&gt;</p> </div> </div>	<div style="display: flex; justify-content: space-around;"> <div style="text-align: center;"> <p>&lt;Rotation center matches to the gravity of the load.&gt;</p> </div> <div style="text-align: center;"> <p>&lt;Rotation axis is in the vertical direction.&gt;</p> </div> </div>
$T_s = F \cdot L$ Ts : Static load (N·m) F : Clamp force (N) L : Distance from oscillating center to clamp position (m)	<div style="display: flex; justify-content: space-around;"> <div> <p>Gravity applies in the rotation direction.  <math>T_f = m \cdot g \cdot L</math></p> </div> <div> <p>Friction force applies in the rotation direction.  <math>T_f = \mu \cdot m \cdot g \cdot L</math></p> </div> </div> <p>Tf : Resistance load (N·m)                      m : Mass of load (kg)                      g : Gravity acceleration 9.8 (m/s<sup>2</sup>)                      L : Distance from oscillating center to gravity or friction force action point (m)                      μ : Friction coefficient</p>	$T_a = I \cdot \dot{\omega} \cdot 2\pi / 360$ ( $T_a = I \cdot \dot{\omega} \cdot 0.0175$ ) Ta : Inertial load (N·m) I : Moment of inertia (kg·m <sup>2</sup> ) ω̇ : Acceleration/deceleration (°/sec <sup>2</sup> ) ω : Speed (°/sec)
Required torque $T = T_s$	Required torque $T = T_f \times 1.5$ (Note1)	Required torque $T = T_a \times 1.5$ (Note1)
<div style="display: flex; justify-content: space-between;"> <div style="width: 45%;"> <p>● Load becomes the resistance load.  <b>Gravity or friction force applies in the rotation direction.</b>                      Example 1) The rotation center of the rotation axis does not match to the center of gravity of the load in the horizontal direction.                      Example 2) The load slips on the floor to move it.                      * The required torque is the total of the resistance load and inertial load.  <math>T = (T_f + T_a) \times 1.5</math></p> </div> <div style="width: 45%;"> <p>● Load does not become the resistance load.  <b>Gravity or friction force does not apply in the rotation direction.</b>                      Example 1) The rotation axis is vertical.                      Example 2) The rotation center of the rotation axis does not match to the center of gravity of the load in the horizontal direction.                      * The required torque is only the inertial load.  <math>T = T_a \times 1.5</math></p> </div> </div> <p style="text-align: center; font-size: small;">Note 1) An allowance is required for Tf and Ta to make the speed adjustment.</p>		

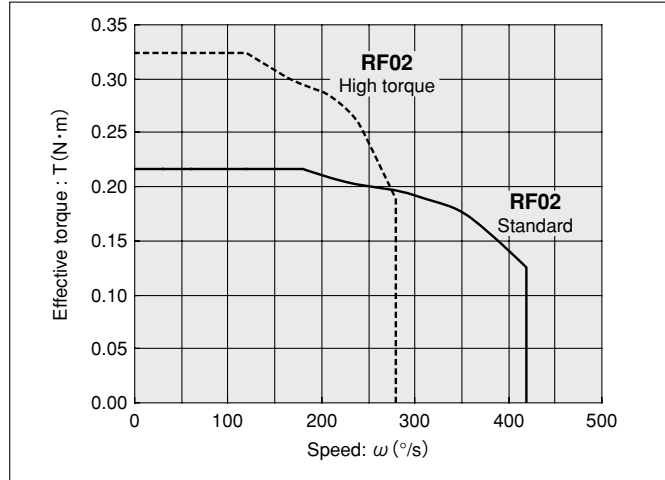
**Moment of inertia** Acceleration/deceleration

**RF02**

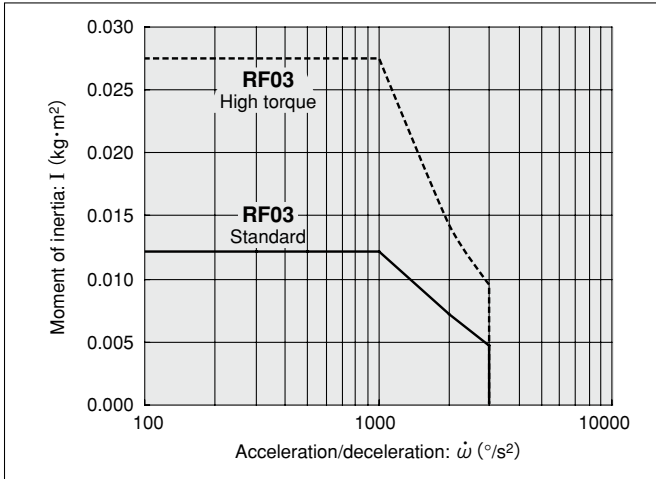


**Effective torque** Speed

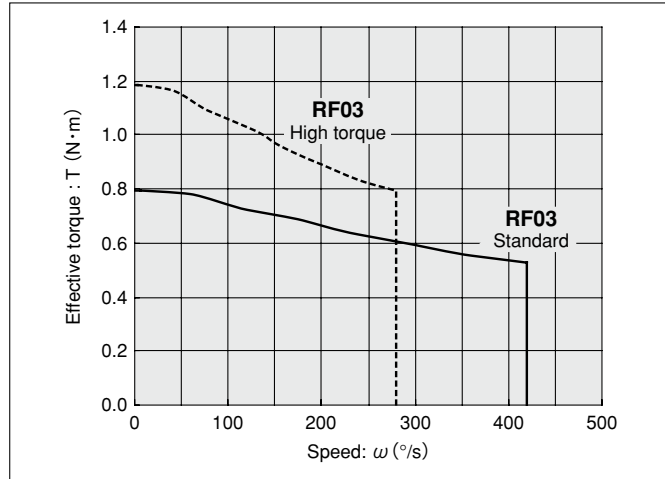
**RF02**



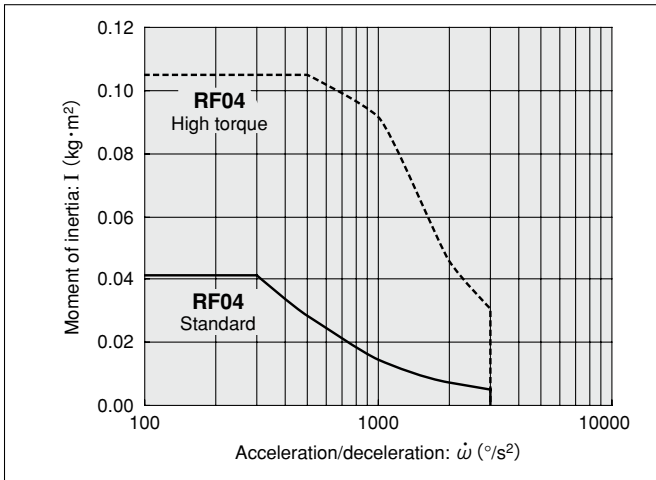
**RF03**



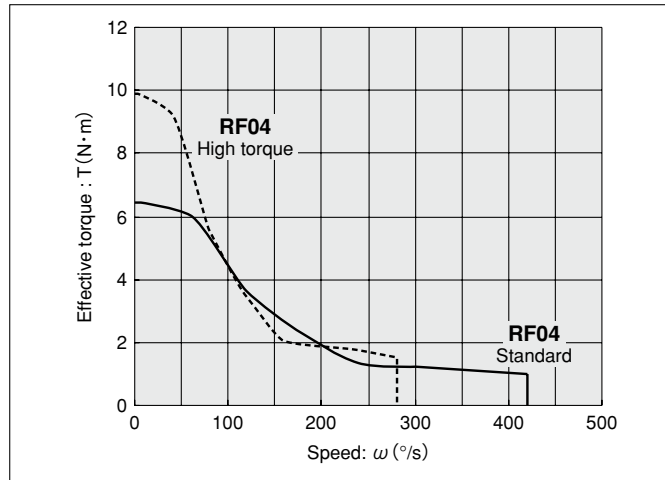
**RF03**



**RF04**



**RF04**



## Allowable load

Size	Allowable radial load (N)		Allowable thrust load (N)				Allowable moment (N·m)	
	Standard model	High precision model	(a)		(b)		Standard model	High precision model
			Standard model	High precision model	Standard model	High precision model		
<b>02</b>	78	86	74		78	107	2.4	2.9
<b>03</b>	196	233	197		363	398	5.3	6.4
<b>04</b>	314	378	296		398	517	9.7	12.0

It is necessary to set the parameters for the controller. For details, see TRANSERVO Series User's Manual.